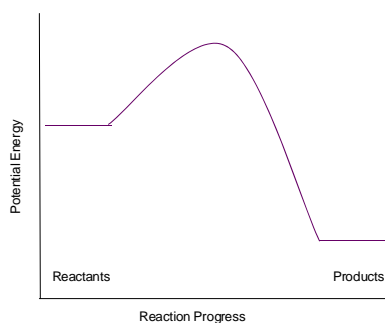


Chemical Kinetics

Predictions of likelihood for a reaction to occur have been based on difference in energy between products and reactants:

Thermodynamics only compares reactants to products, says nothing about how fast the reaction gets from reactants to products (if at all)!

Kinetics focuses on how the reactants get to products:
the mechanism of the reaction



1

What Influences Kinetics?

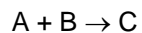
What determines the rate of a chemical reaction?

Rate: change in concentration of a reactant (or product) per unit time.

Average Rate:

Instantaneous Rate:

Contributors to Kinetics



- 1.
- 2.
- 3.

2

Quantifying Reaction Kinetics

Rate Law: Describes the relationship between rate and concentration of species

$$\text{Rate} = k[A]^m[B]^n[C]^p\dots$$

Exponents like m , n , p are usually positive integers

BUT: Can be negative, fractions, zero

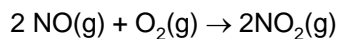
k : rate constant

3

Determining Rate Laws from Experiment

Look at effect of changing concentration on initial rates

Example: The initial rate for the reaction of nitrogen monoxide and oxygen was measured at 25°C for various concentrations of NO and O₂. Determine the rate equation from these data. What is the value of the rate constant, k ?



Experiment	Initial Concentrations (M)		Initial Rate (mol/Ls)
	[NO]	[O ₂]	
1	0.020	0.010	0.028
2	0.020	0.020	0.057
3	0.020	0.040	0.114
4	0.040	0.020	0.227
5	0.010	0.020	0.014

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Integrated Rate Laws:

Predict concentration/time relationships throughout reaction.

Reaction Order	Rate Law	Integrated Rate Law
0	Rate = k	$[R]_0 - [R]_t = kt$
1	Rate = $k[R]$	$\ln[R]_0 - \ln[R]_t = kt$
2	Rate = $k[R]^2$	$\frac{1}{[R]_t} - \frac{1}{[R]_0} = kt$

If you monitor $[R]$ as a function of time and treat the data properly, it is possible to determine reaction order and k for R.

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Integrated Rate Laws... "Linearized"

GOAL: Rearrange Integrated Rate Laws to $y = kt + b$ form. (y is related to $[R]_t$, b is related to $[R]_0$)

Reaction Order	Integrated Rate Law	$y = kt + b$ Form
0	$[R]_0 - [R]_t = kt$	$[R]_t = -kt + [R]_0$
1	$\ln[R]_0 - \ln[R]_t = kt$	$\ln[R]_t = -kt + \ln[R]_0$
2	$\frac{1}{[R]_t} - \frac{1}{[R]_0} = kt$	$\frac{1}{[R]_t} = kt + \frac{1}{[R]_0}$

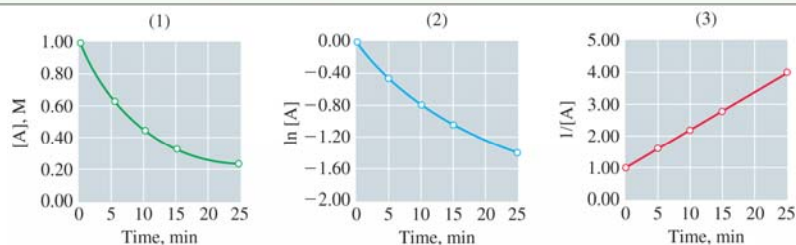
"Linearizing" makes it easier to determine reaction order at a glance.

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Graphical Treatment of Data

TABLE 14.5 Reaction Kinetics: A Summary for the Hypothetical Reaction $A \rightarrow \text{Products}$

Order	Rate Law	Integrated Rate Equation	Straight Line	$k =$	Units of k	Half-life
0	Rate = k	$[A]_t = -kt + [A]_0$	$[A]$ v. time	-slope	$\text{mol L}^{-1} \text{s}^{-1}$	$[A]_0/2k$
1	Rate = $k[A]$	$\ln[A]_t = -kt + \ln[A]_0$	$\ln [A]$ v. time	-slope	s^{-1}	$0.693/k$
2	Rate = $k[A]^2$	$\frac{1}{[A]_t} = kt + \frac{1}{[A]_0}$	$\frac{1}{[A]}$ v. time	slope	$\text{L mol}^{-1} \text{s}^{-1}$	$\frac{1}{k[A]_0}$

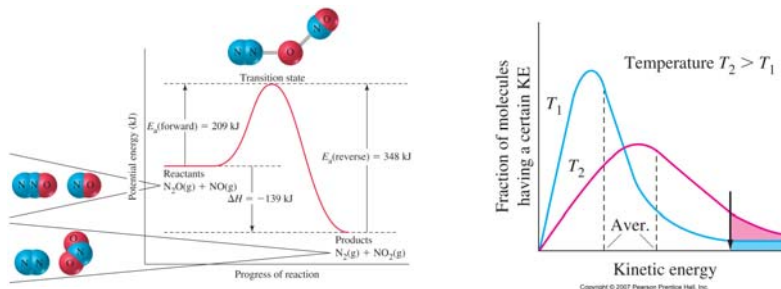


Dealing with Reactions of Multiple Reactants

- Pseudo- n^{th} -order rates

7

Temperature-Dependence of k



As T changes, the # of molecules with sufficient energy to react (overcome activation barrier) also changes.

Quantify this dependence using Arrhenius Equation:

$$k = Ae^{-E_a/RT}$$

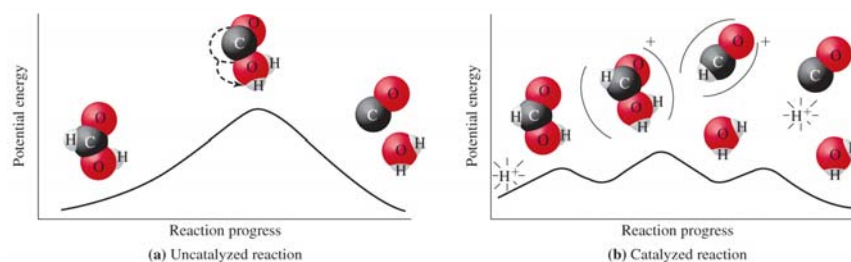
A = frequency factor

Arrhenius Equation is especially useful for determining activation energy (E_a)

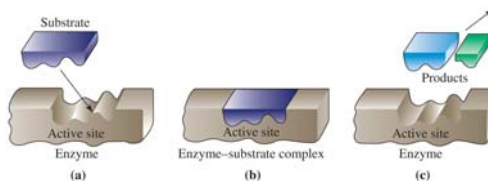
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Catalysts and Catalysis

- Effect rate of reaction, but are not consumed in the reaction
- Provide alternate mechanism with lower activation barrier.



- Homogeneous vs Heterogeneous



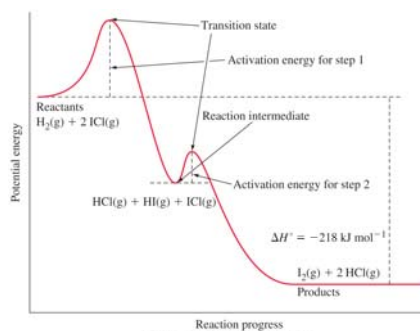
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Determining Reaction Mechanism

- All reactions are a sequence of elementary steps
 - Single molecular event, with its own rate law and kinetics
- Defined by molecularity: # of molecules that come together

1 molecule =
 2 molecules =
 3 molecules =

- The sum of all elementary steps must add up to the overall reaction.
- **Rate Determining Step**: Slowest elementary step in a reaction sequence.

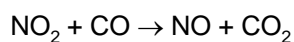


Determining Reaction Mechanism

- Rate law for *elementary step* is based on stoichiometry

A → product	Rate = $k[A]$
A + B → product	Rate = $k[A][B]$
A + A → product	Rate = $k[A]^2$
2A + B → product	Rate = $k[A]^2[B]$

Example:



Predict that this is an O-transfer reaction b/w one NO₂ and one CO
(1 elementary step)

Rate =

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Determining Reaction Mechanism

BUT experiments show a different rate law:

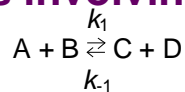
$$\text{Rate} = k[\text{NO}_2]^2$$

Mechanism must fit this rate law. Here's a proposed mechanism:

Step	Elem. Step	Rate
1	$\text{NO}_2 + \text{NO}_2 \rightarrow \text{NO}_3 + \text{NO}$	
2	$\text{NO}_3 + \text{CO} \rightarrow \text{NO}_2 + \text{CO}_2$	

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Mechanisms involving equilibria



At equilibrium rate forward rxn. = rate reverse rxn

$A + B \rightarrow C + D$	Rate = $k_1[A][B]$
$C + D \rightarrow A + B$	Rate = $k_{-1}[C][D]$

One More Example:

What is the overall reaction for this combination of elementary steps?

What is the rate law for this process?

Step 1	Fast, Equilibrium	$\text{NO}_2\text{Cl} \xrightleftharpoons[k_{-1}]{k_1} \text{NO}_2 + \text{Cl}^\cdot$
Step 2	Slow	$\text{NO}_2\text{Cl} + \text{Cl}^\cdot \xrightarrow{k_2} \text{NO}_2 + \text{Cl}_2$

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Steady-State Approximation:

- What if there is no single, rate determining step in a reaction? Consider the previous reaction mechanism. What if the rates of all reactions are comparable?
- The solution is more complex, but it becomes doable if we utilize the **steady-state approximation**:

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