<b>Chem 130</b>		
Exam 4		
100 Points		

Name	
<b>December 6, 2017</b>	

Please follow the instructions for each section of the exam. Show your work on all mathematical problems. Provide answers with the correct units and significant figures. Be concise in your answers to discussion questions.

## Part I: Complete all of problems 1-3. 4 points each.

- 1. For the reaction CO (g) +  $H_2O$  (g)  $\rightleftharpoons H_2$  (g) +  $CO_2$ (g) at 1000K,  $K_c$  = 0.66 and  $\Delta H^0$  = -42 kJ. After an initial equilibrium is established in a 1.00 L container, the equilibrium amount of  $H_2$  can be increased by
  - a. adding a catalyst.
  - b. decreasing the temperature.
  - c. transferring the mixture to a 10.0 L container.

- d. Decreasing the pressure
- 2. Expansion of a valence shell to accommodate more than eight electrons is possible with:
  - a. carbon.
  - b. nitrogen.

Answer \_\_\_\_c\_

- c. phosphorous.
- d. oxygen.
- 3. For the reaction  $CO(g) + 2H_2(g) \rightleftharpoons CH_3OH(g)$   $K_c = 14.5$ . If 5.00 mol CO, 2.00 mol H<sub>2</sub>O and 3.00 mol of  $CH_3OH$  are brought together and allowed to react, which of the following describes the composition of the system at equilibrium?
  - a. Some CO and  $H_2O$  will have been consumed to make more  $CH_3OH$ .

Answer	a	

- b. Some CH<sub>3</sub>OH will have been consumed to make more CO and H<sub>2</sub>O
- c. The amounts of CO, H<sub>2</sub>O, and CH<sub>3</sub>OH will be unchanged from their initial values.
- d. There is not enough information to determine the equilibrium composition.

## Part II. <u>Equilibrium</u>. Answer <u>four (4)</u> of problems 4-8. Clearly mark the problems you do not want graded. 15 points each.

4. What do we mean when we say a system has *come to equilibrium*? Describe the equilibrium condition and why we don't use a single headed arrow when we write equilibria. What does a small equilibrium constant mean in terms of thermodynamics?

At equilibrium, the rate of the forward reaction is equal to the rate of the reverse reaction. (Note that this does **not** mean that the concentrations are equal or that the rate constants are equal!). Both the forward and reverse reactions are still proceeding at equilibrium, only reactants and products are both being consumed at equal rates. As a result, there is no net change in concentrations of reactants or products. At equilibrium, the K expression is satisfied. We use the double-headed arrow to indicate that the reaction is proceeding in both directions.

As small equilibrium constant indicates a reaction that is not product favored. The tendency of the reaction is to favor the reactant side. As K decreases, the reaction becomes less spontaneous.

5. Suppose the reaction system below has already reached equilibrium. Predict the effect of the following changes on the system. Justify your predictions with a brief statement.

$$UO_2(s) + 4HF(g) \rightleftharpoons UF_4(g) + 2H_2O(g)$$

a. More UO<sub>2</sub> is added to the system.

Since UO<sub>2</sub> is a solid, it does not show up in the equilibrium constant expression, so its addition will have no impact on the position of the equilibrium.

b. The reaction is performed in a glass reaction vessel and the HF reacts with the glass.

HF, a reactant is being consumed; therefore the equilibrium will shift to the left to generate additional reactant.

c. Water vapor is removed.

H<sub>2</sub>O, a product is being consumed; therefore the equilibrium will shift to the right to generate additional product.

d. The volume is increased.

An increase in volume would lead to a decrease in pressure, which will cause the equilibrium to shift in the direction of the most molecules of gas, in this case, to the left.

6. You have been tasked with determining the equilibrium constant for the reaction of H<sub>2</sub> and S<sub>2</sub> gases to produce hydrogen sulfide. A mixture of 1.00 g H<sub>2</sub> and 1.00 g H<sub>2</sub>S in a 0.500 L flask comes to equilibrium at 1670 K. At equilibrium, there is 8.00 x 10<sup>-6</sup> mol of S<sub>2</sub> present. What are the values for  $K_c$  and  $K_p$  at this temperature?

Start with a balanced chemical reaction:

$$2H_2 + S_2 \rightleftharpoons 2H_2S$$

So, the equilibrium constant expression 
$$(K_c)$$
 is:
$$K_c = \frac{[H_2S]^2}{[H_2]^2[S_2]}$$

We need equilibrium concentrations of each species to find the K<sub>c</sub>. We start buy determining initial concentrations:

1.00 g H<sub>2</sub> x 
$$\frac{1 \text{ mol}}{2.01588 \text{ g}}$$
 x  $\frac{1}{0.500 \text{ L}}$  = 0.992<sub>1</sub> M H<sub>2</sub>

$$1.00 \text{ g H}_2\text{S}$$
 x  $1 \text{ mol}$  x  $1 \text{ mol}$  x  $1 \text{ 0.500 L}$  =  $0.0586_9 \text{ M H}_2\text{S}$ 

The equilibrium concentration of  $S_2 = (8.00 \times 10^{-6} \text{ mol})/0.5 \text{ L} = 1.60 \times 10^{-5} \text{ M S}_2$ 

Mapping out the chemistry:

Plugging in to K<sub>c</sub>:

$$K_c = [H_2S]^2 = (0.0586_5)^2 = 218$$
  
 $[H_2]^2[S_2] = (0.992_2)^2(1.60 \times 10^{-5})$ 

$$K_p = K_c(RT)^{\Delta n} = 218(0.08206x1670)^{-1} = 1.59$$

Answer\_\_\_\_K<sub>c</sub>=218, 
$$K_p = 1.59$$
\_\_\_\_

7. At a certain temperature, the equilibrium constant, K<sub>c</sub>, for this reaction is 53.3. At this temperature, 0.800 mol of H<sub>2</sub> and 0.400 mol of HI were placed in a 0.50 L container to react. What concentration of HI is present at equilibrium?

$$H_2(g) + I_2(g) \stackrel{>}{\leftarrow} 2HI(g)$$

The ICE table approach works well here. First we need to get things in terms of concentration:

Inserting into K<sub>c</sub> gives:

$$K_c = \frac{[HI]^2}{[H_2][I_2]} = \frac{(0.800-2x)^2}{(1.60+x)(x)}$$

Now some algebra:

$$(1.60x+x^2)K_c = 0.640-3.2x+4x^2$$
  
 $53.3x^2 + 85.28x = 0.640-3.2x+4x^2$   
 $0 = 49.3x^2 + 88.48x - 0.64$ 

From the quadratic formula, we find x = 0.00720 or -1.802

Since x represents the equilibrium concentration of  $I_2$ , a negative value makes no chemical sense, therefore, the value x = 0.00720 is the reasonable result and [HI]=0.800-2x=0.786M

8. At equilibrium, the concentrations in this system were found to be  $[N_2]=[O_2]=0.100$  M and [NO]=0.500 M. If more NO is added, bringing its concentration to 0.800 M, what will the final concentration of NO be after equilibrium is re-established?

$$N_2(g) + O_2(g) \rightleftharpoons 2NO(g)$$

First we need to find K using the given equilibrium concentrations:

$$K_c = \frac{[NO]^2}{[N_2][O_2]} = \frac{(0.500)^2}{(0.100)(0.100)} = 25$$

Now the ICE table using the "new", non-equilibrium conditions:

Inserting into K<sub>c</sub> gives:

$$K_c = \frac{[NO]^2}{[N_2][O_2]} = \frac{(0.800-2x)^2}{(0.100+x)(0.100+x)} = \frac{0.640-3.20x+4x^2}{0.0100+0.200x+x^2}$$

Now some algebra:

$$(0.0100+0.200x+x^2)K_c = 0.640-3.2x+4x^2$$
  
 $25x^2 + 5x + 0.250 = 0.640-3.20x+4x^2$   
 $0 = 21x^2 + 8.20x - 0.390$ 

From the quadratic formula, we find x = 0.0429 or -0.433

Since x represents an expected increase in  $N_2$  and  $O_2$  concentrations, a negative value makes no chemical sense, therefore, the value x = 0.0429 is the reasonable result and [NO]=0.800-2x=0.714M.

## Part III. <u>Bonding</u>. Answer <u>two (2)</u> of problems 9-11. Clearly mark the problem you do not want graded. 15 points each.

9. Complete the table for three (3) of the species below.

Specie s	Lewis Structure (indicate resonance if necessary)	Species	Lewis Structure (indicate resonance if necessary)
H <sub>2</sub> O	н– <u>ö</u> –н	NO <sub>2</sub> -	$\left[ \vdots \ddot{\mathbf{O}} - \ddot{\mathbf{N}} = \ddot{\mathbf{O}} \right]^{-} \leftrightarrow \left[ \ddot{\mathbf{O}} = \ddot{\mathbf{N}} - \ddot{\mathbf{O}} \right]^{-}$
CIF <sub>3</sub>	:Ë::	CS <sub>2</sub>	Ë=C=Ë

10. The Lewis structure for the thiocyanate ion (a polyatomic anion comprised of one atom each of C, N, and S) could be drawn in several ways, three of which are shown below. Which of these structures is more likely to be representative of the real structure of thiocyanate? Justify your answer.

$$\begin{bmatrix} \ddot{\mathbf{S}} = \mathbf{C} = \ddot{\mathbf{N}} \end{bmatrix}^{-} \qquad_{\mathrm{OR}} \qquad \begin{bmatrix} \ddot{\mathbf{C}} = \mathbf{S} = \ddot{\mathbf{N}} \end{bmatrix}^{-} \qquad_{\mathrm{OR}} \qquad \begin{bmatrix} \ddot{\mathbf{C}} = \mathbf{N} = \ddot{\mathbf{S}} \end{bmatrix}^{-}$$

To begin, we need to calculate the formal charges on each atom in each structure.

Structure	Formal Charge on S	Formal Charge on C	Formal Charge
I	0	0	-1
II	+2	-2	-1
Ш	0	-2	+1

on N

Since a goal in the drawing of Lewis Structures (and in the formation of compounds) is to minimize formal charge on atoms in the compound, structure I appears most favored. Structures II and III each have atoms with large formal charge, while structure I has only one atom with a nonzero formal charge.

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11. Drawing the Lewis structure for carbonate ion (CO<sub>3</sub><sup>2-</sup>) requires the use of the concept of *resonance*. Draw Lewis structures of carbonate and explain why resonance is necessary and how multiple resonance structures can be a better representation of the true structure than a single Lewis structure alone.

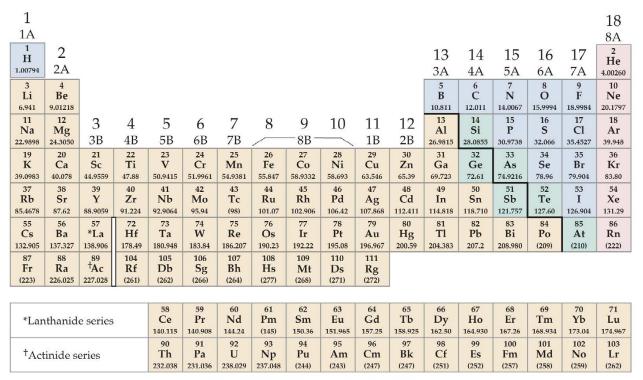
$$\begin{bmatrix} \ddot{\mathbf{O}} = \mathbf{C} - \ddot{\mathbf{O}} : \\ \vdots \\ \mathbf{O} : \end{bmatrix} \xrightarrow{-2} \begin{bmatrix} \vdots \ddot{\mathbf{O}} - \mathbf{C} = \ddot{\mathbf{O}} \\ \vdots \\ \mathbf{O} : \end{bmatrix} \xrightarrow{-2} \begin{bmatrix} \vdots \ddot{\mathbf{O}} - \mathbf{C} - \ddot{\mathbf{O}} : \\ \vdots \\ \mathbf{O} : \end{bmatrix} \xrightarrow{-2}$$

You should talk about the idea that the purpose of a model is to represent real life and that resonance is a modification to the Lewis model to account for some situations where the model doesn't represent real life.

When resonance is used, such as in the carbonate structure above, we recognize that the real structure is a hybrid of the resonance forms. The structure does not oscillate between the forms, but is more of an "average" of the structures.

## **Possibly Useful Information**

$R = 0.08206 \text{ L atm mol}^{-1} \text{ K}^{-1}$ $R = 8.314 \text{ J mol}^{-1} \text{ K}^{-1}$	$K = {}^{\circ}C + 273.15$	slope = m = $\frac{\Delta y}{\Delta x} = \frac{y_2 - y_1}{x_2 - x_1}$
$\Delta G = \Delta H - T\Delta S$	$^{\circ}$ C = K – 273.15	$K_p = K_c(RT)^{\Delta n}$
$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$	pV = nRT	$\Delta G = -RT lnK$



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